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# ANALYSIS OF LINE TO GROUND FAULT IN TRANSFORMER BY ELMAN'S NETWORK USING GRADIENT DESCENT BACK PROPAGATION ALGORITHM R. RAMSINGH

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Abstract: This paper proposes new technique were found to be reliable and accurate in identifying the fault condition. Several articles present edit in each implementation and method from the last to present (2013). The advantage of the approach would be developed to the new detection in the future. Many interested topics used for detection of fault in the power system. In this research can be classified into two types interesting in fault detection. This review of many papers will be used to develop the research or find the new method for appropriate fault detection in the power system.

Keywords: Elman's network, Back propagation, Gradient Descent, Feed Forward Neural Network.

# 1. INTRODUCTION

In power systems, transformer is one of the essential elements and thus transformer protection is of critical importance. When the transformer is energized, magnetizing inrush current flowing into the transformer may be as great as ten times full load current. This high current may cause the relay to maloperate. The relay provided has to operate only for fault condition and not for inrush condition. In order to have reliable protection it is essential to classify transient phenomena in power transformer. The saturation current that can occur when transformer are first switched in to service is called inrush. Transformer inrush current divided into three

categories. Energisation inrush, recovery inrush and sympathetic inrush. The first energisation inrush results from the reapplication of system voltage to a transformer which has been previously deenergised. The second recovery inrush occurs when transformer voltage is restored after having been reduced by a nearby short circuit on the system. The third symphathetic inrush can occurs when two or more transformers are operated in parallel To gain analytical understanding the relationship between the voltage applied to the transformer winding the flux in the transformer core.Recurrent neural network has been proposed and has demonstrated capability of transformer monitoring and fault detection problem using inexpensive, reliable and noninvasive procedure. The capacity to learn examples of one of the most desirable features of neural network models.

We present a learning algorithm for the recurrent momentum models using gradient decent of quadratic error function. The analytical propagation type algorithm that required the solution of a system of n linear and a nonlinear equations each time the neuron network learns a new input-output pair. The conjugate gradient optimization algorithm combined with modified back propagation algorithm to vield computationally efficient algorithm for training multilayer perceptron network. The computational efficiency is enhanced

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by adaptively modifying initial search direction as described in the following modification steps(1)on standard ackprobagation algorithm by introducing a gain variation term in the activation function.(2)calculation of the gradient decent of error with respect the weights gains values and (3) determination of a new search direction by using information calculated in step (2). The performance of the proposed method in demonstrated by comparing accuracy and computation time with the momentum gradient algorithm used in MATLAB neural network tool box. The results show that the computational efficiency of the proposed method was better than the standard conjugate gradient algorithm

#### **Line to Ground Fault**

A ground fault is any short circuit that results in an unintended connection between an energized ungrounded phase conductor and ground. Ground faults are the most common type of fault on power distribution systems. They result from the unintentional grounding of an ungrounded phase conductor or insulation failure that brings the ungrounded phase conductor into contact with ground. Unintentional grounding of a phase conductor can occur when a small animal enters a piece of equipment and contacts both ungrounded phase conductor and the grounded enclosure. Insulation failure resulting in a ground fault can occur when busbar insulator contamination results in a flashover when or or age environmental factors degrade the conductor insulation.

For a solidly grounded distribution system, a ground fault results in current flowing back to the source through the equipment grounding conductor, which includes the metallic raceway enclosing the circuit conductors, separate equipment grounding conductor if installed, or both. In addition, the ground fault current can also flow back to the source through other paths, including grounded metal piping, structural steel, and the ground itself. The amount of ground fault current flowing through alternate paths outside distribution system ground path will depend on the relative impedance between the distribution system ground return path and the alternate parallel paths.

# **Backpropagation Algorithm**

Suppose we have a fixed training set  $\{(x^{(1)}, y^{(1)}), \dots, (x^{(m)}, y^{(m)})\}_{\text{of }m}$  training examples. We can train our neural network using batch gradient descent. In detail, for a single training example (x,y), we define the cost function with respect to that single example to be:

$$J(W,b;x,y) = \frac{1}{2} \|h_{W,b}(x) - y\|^2.$$

This is a (one-half) squared-error cost function. Given a training set of *m* examples, we then define the overall cost function to be:

$$\begin{split} J(W,b) &= \left[\frac{1}{m} \sum_{i=1}^{m} J(W,b;x^{(i)},y^{(i)})\right] + \frac{\lambda}{2} \sum_{i=1}^{n_{i-1}} \sum_{j=1}^{s_{i}} \left(W_{ji}^{(l)}\right)^{2} \\ &= \left[\frac{1}{m} \sum_{i=1}^{m} \left(\frac{1}{2} \left\|h_{W,b}(x^{(i)}) - y^{(i)}\right\|^{2}\right)\right] + \frac{\lambda}{2} \sum_{i=1}^{s_{i}} \sum_{j=1}^{s_{i}} \left(W_{ji}^{(l)}\right)^{2} \end{split}$$

The first term in the definition of J(W,b) is an average sum-of-squares error term. The second term is a regularization term (also called a **weight decay** term) that tends to decrease the magnitude of the weights, and helps prevent overfitting.

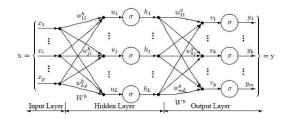
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[Note: Usually weight decay is not applied to the bias terms  $b_i^{(l)}$ , as reflected in our definition for J(W,b). Applying weight decay to the bias units usually makes only a small difference to the final network, however. If you've taken CS229 (Machine Learning) at Stanford or watched the course's videos on YouTube, you may also recognize this weight decay as essentially a variant of the Bayesian regularization method you saw there, where we placed a Gaussian prior on the parameters and did MAP (instead of maximum likelihood) estimation.]

# d) Network Function:

#### a) Syntax

net.trainFcn = 'trainscg' [net,tr] = train(net,...)



### b)Description

trainscg is a network training function that updates weight and bias values according to the scaled conjugate gradient method.

net.trainFcn = 'trainscg'

[net,tr] = train(net,...)Training occurs according to trainscg's training parameters, shown here with their default values:

#### c) Network Use

You can create a standard network that uses trainscg with feedforwardnet or cascadeforwardnet. To prepare a custom network to be trained with trainscg,

- 1. Set net.trainFcn to 'trainscg'. This sets net.trainParam to trainscg's default parameters.
- 2. Set net.trainParam properties to desired values.

In either case, calling train with the resulting network trains the network with trainscg

# The Algorithm

trainscg can train any network as long as its weight, net input, and transfer functions have derivative functions. Backpropagation is used to calculate derivatives of performance perf with respect to the weight and bias variables X.

# **Gradient algorithm**

The gradient algorithm is based on conjugate directions, as in traincgp, traincgf, and traincgb, but this algorithm does not perform a line search at each iteration. See Moller (*Neural Networks*, Vol. 6, 1993, pp. 525–533) for a more detailed discussion of the scaled conjugate gradient algorithm.

# Algorithm Step:

Step 1: Initialize the weight vector randomly, the gradient vector  $g_0$  to zero and gain vector to unit Values. Let the first search direction  $d_0$  be  $g_0$ . Set  $\beta_0$ =0, epoch=1 andn=1. Let Nt be the total Number of weight values. Select a convergence tolerance CT.

Step 2 : At step n, evaluate gradient vector  $g_n(c_n)$ .

Step 3: Evaluate  $E(w_n)$ . If  $E(w_n)$ <CT then STOP training ELSE go to step 4

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Step 4 :Calculation a new gradient based search direction which is a function of gain parameter:

$$D_n = -g_n(c_n) + \beta_n d_{n-1}$$

Step 5 :IF n>1 THEN, Update

$$\begin{split} \beta_{n+1} &= g^T_{n+1}(c_{n+1})g_{n+1}(c_{n+1})/g^T_{n}(c_{n})g_{n}(c_{n}) \\ ELSE \ go \ to \ step \ 6 \end{split}$$

Step 6 :IF  $[(epoch+1)/N_t]=0$  THEN resart the gradient vector with dn=-gn-1(cn-1) ELSE go to step 7.

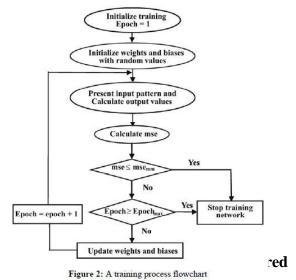
Step 7 :Calculate the optimal Values for learning rate nn\* by using line search technique such as describe the equation

Step 8 : Updatew<sub>n</sub> :  $w_{n+1} = w_n - \eta_n^* d_n$ .

Step 9 :Evaluate new gradient vector  $g_{n+1}(c_{n+1})$  with respect to gain value  $c_{n+1}$ .

Step 10: Calculate new search direction:  $d_{n+1}$ =- $g_{n+1}(c_{n+1})$ + $\beta_{n+1}(c_n)d_n$ .

Step 11: Set n=n+1 and go to step 2.



error (MSE) of an estimator is one of many ways to quantify the difference between values implied by an estimator and the true values of the quantity being estimated. MSE is a <u>risk function</u>, corresponding to the expected value of the

squared error loss or quadratic loss. MSE measures the <u>average</u> of the squares of the "errors." The error is the amount by which the value implied by the estimator differs from the quantity to be estimated. The difference occurs because of <u>randomness</u> or because the estimator <u>doesn't account for information</u> that could produce a more accurate estimate.

The MSE is the second moment (about the origin) of the error, and thus incorporates both the variance of the estimator and its bias. For an unbiased estimator, the MSE is the variance of the estimator. Like the variance, MSE has the same units of measurement as the square of the quantity being estimated. In an analogy to standard deviation, taking the square root of MSE yields the root-meansquare error or root-mean-square deviation (RMSE or RMSD), which has the same units as the quantity being estimated; for an unbiased estimator, the RMSE is the square root of the variance, known as the standard deviation.

# **Applications**

 Minimizing MSE is a key criterion in selecting estimators: see minimum mean-square error. Among unbiased estimators, minimizing the MSE is equivalent to minimizing the variance, and the estimator that does this is the minimum variance unbiased estimator. However, a



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biased estimator may have lower MSE; see estimator bias.

• In <u>statistical modelling</u> the MSE, representing the difference between the actual observations and the observation values predicted by the model, is used to determine the extent to which the model fits the data and whether the removal or some explanatory variables, simplifying the model, is possible without significantly harming the model's predictive ability.

# **Training:**

- a. used to obtain weight values given training parameters.
- b. training error estimates tend to be extremely biased as the number of unknown weights, Nw, increases toward the number of training equations, Ntrneq.
- c. Ndof = Ntrneq-Nw is the number of estimation degrees of freedom (See Wikipedia). As long as Ndof is sufficiently positive, the bias of estimating error with training data can be mitigated,

somewhat, by using the degree of freedom adjustment of dividing SSEtrn by Ndof instead of Ntrneq.

#### Validation

- a. used repeatedly with the training set to determine a good set of training parameters (especially the stopping epoch) via choosing the best of multiple random initial weight designs.
- b. Validation set error tends to be much less biased than training set error, especially if training doesn't stop because of validation error convergence.

#### **Test:**

a.used once, and only once to obtain an unbiased error estimate of nontraining data.

b. if performance is unsatisfactory and more designs are necessary, the data should be repatitioned into new tr/val/tst subsets.

#### **8.1 SIMULATION AND RESULT:**

Classifier	Type of tool	Method	Test	No of trails	performance	Train performance	Val performance	Test of performance
BPNN (Elman's)	Pattern recognitio n	Breast cancer	Line to Ground Fault	200	77.33	77.43	78.33	77.78
BPNN (Elman's)	Pattern recognitio n	Iris	Line to Ground Fault	200	77.78	77.89	77.79	77.4
BPNN (Elman's)	Pattern recognitio n	Simple Class	Line to Ground Fault	200	81.26	81.25	81.18	81.38
BPNN (Elman's)	Pattern recognitio n	Type of Class	Line to Ground Fault	200	82.58	81.19	83.63	85.37
BPNN (Elman's)	Pattern recognitio n	Wine Vintage	Line to Ground Fault	200	78.77	78.09	77.59	78.32

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# Table 1

Input Voltage= 420 volt, Input Resistance= 4.35 ohm

Input Inductance=0.221 H

Frequency= 60 Hz

# **8.2 BEST METHOD OF NETWORK:**

Classifier	Type of	Method	Test	No	performance	Train	Val	Test of
	tool			of		performance	performance	performance
				trails				
BPNN	Pattern	Type of Class	Line to	200	82.58	81.19	83.63	85.37
(Elam's)	recognition		Ground					
			Fault					

Table 2

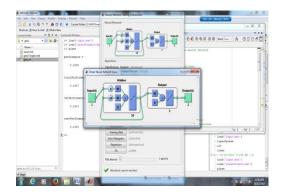


Figure: 7 Iteration Diagram.

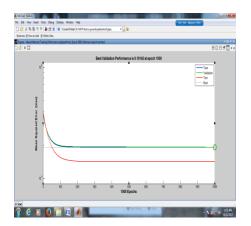


Figure: 8 Performance Graph

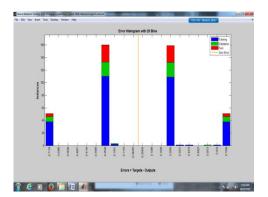


Figure: 9 Error of Performance

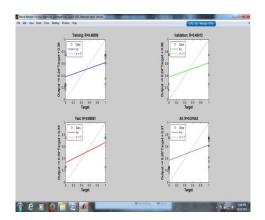


Figure: 10 Test, Validation, Training Graph



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#### **\$CONCLUSION:**

Inrush current is really caused by saturation of the magnetic core of the transformer during part of the power cycle, therefore its waveform has distinct gap characteristics.when transformer internal fault occurs, the fault current is closed to sinusoidal.the current magnitude calculated by onecycle fourier filter cannot reflect the characteristics of inrush,but those calculated bv garadient descent algorithm can.this paper presents a novel inrush criterion based on the detection of the magnitude difference calculated by pattern network.extensive simulation results proves the feasibility of presented criterion

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