

Transient Stability Analysis of Multiple Converter Based Microgrid

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Abstract

The analysis of transient stability of conventional power systems is well established, but for inverter based microgrids there is a need to establish how circuit and control features gave rise to particular oscillatory modes and which of these have poor damping. This paper develops the modeling and stability analysis of autonomous operation of inverter based microgrids. Each sub-module is modeled in state-space form and all are combined together on a common reference frame. The model captures the detail of the control loops of the inverter but not the switching action. Some inverter modes are found at relatively high frequency and so a full dynamic model of the network (rather than an algebraic impedance model) is used. High gain angle droop control ensures proper load sharing, especially under weak system conditions, but has a negative impact on the overall stability. It has been shown that real power modes get affected with the real power droop coefficients, while the reactive power modes are sensitive to reactive power droop coefficients. Transient stability results have been obtained from a microgrid of three inverters. The abstract should summarize the content of the paper. Try to keep the abstract below 150 words. Do not have references or displayed equations in the abstract. It is imperative that the margins and style described below be adhered to carefully. This will enable us to maintain uniformity in the final printed copies of the Journal. Papers not made according these guidelines will not be published although its content has been accepted for publication. Paper form is a necessary condition for its publication, as well as its content.

Keywords: *Inverter, inverter model, microgrid, power control, Transient Stability.*

1. Introduction

Recent innovations in small-scale distributed power generation systems combined with technological advancements in power electronic systems led to concepts of future network technologies such as microgrids. These small autonomous regions of power systems can offer

increased reliability and efficiency and can help integrate renewable energy and other forms of distributed generation (DG) [1]. Many forms of distributed generation such as fuel-cells, photo-voltaic and micro-turbines are interfaced to the network through power electronic converters [2]–[5]. These interface devices make the sources more flexible in their operation and control compared to the conventional electrical machines. However, due to their negligible physical inertia they also make the system potentially susceptible to oscillation resulting from network disturbances.

A microgrid can be operated either in grid connected mode or in stand-alone mode. In grid connected mode, most of the system-level dynamics are dictated by the main grid due to the relatively small size of micro sources. In stand-alone mode, the system dynamics are dictated by micro sources themselves, their power regulation control and, to an unusual degree, by the network itself.

One of the important concerns in the reliable operation of a microgrid is transient stability. In conventional power systems, stability analysis is well established and for the different frequency ranges (or time horizons) of possible concern there are models which include the appropriate features. The features have been established on the basis of decades of experience so that there are standard models of synchronous machines, governors and excitation systems of varying orders that are known to capture the important modes for particular classes of problem. This does not yet exist for microgrids and may be difficult to achieve because of the range of power technologies that might be deployed. However, we can begin by developing full-order models of inverters and the inverter equivalents of governors and exciters. Examination of these models applied to various systems will develop that body of

experience that allows reduced order models to be selected for some problems.

In this paper, a systematic approach to modeling an inverter-based microgrid is presented [6-18]. Each DG inverter will have an outer power loop based on droop control to share the fundamental real and reactive powers with other DGs. Inverter internal controls will include voltage and current controllers which are designed to reject high frequency disturbances and damp the output LC filter to avoid any resonance with the external network. The small-signal state-space model of an individual inverter is constructed by including the controllers, output filter and coupling inductor on a synchronous reference frame whose rotation frequency is set by the power controller of that inverter. An arbitrary choice is made to select one inverter frame as the common reference frame and all other inverters are translated to this common reference frame using the simple transformation techniques familiar in synchronous machine systems. It is considered that state-less impedance models of the network are inadequate for use with full-order inverter models which include high frequency modes. Instead a dynamic (state-space) model of the network is formed on the common reference frame.

Once the small-signal model has been formed, eigenvalues (or modes) are identified that indicate the frequency and damping of the oscillatory terms of the system transient response. The analytical nature of this examination then allows further investigation so that the relation between system stability and system parameters, such as the gains of controllers is established. This represents a systematic approach to finding appropriate models and avoids the danger of neglecting a system feature that later turns out to be important.

2. CONVERTER STRUCTURE AND CONTROL

All the DGs are assumed to be an ideal dc voltage source supplying a voltage of V_{dc} to the VSC. The structure of the VSC is as shown in fig.1. In this, $u \cdot V_{dc}$ represents the converter output voltage, where $u = \pm 1$. The main aim of the converter control is to generate u .

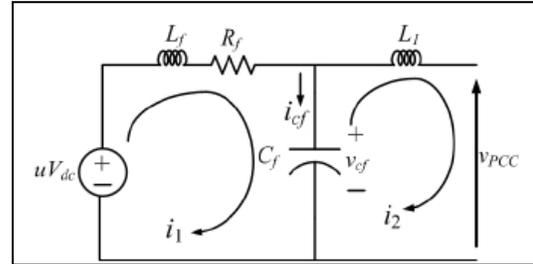


Fig1: Single-phase equivalent circuit of VSC (LCL filter).

The following state vector is chosen

$$x^T = [i_2 \quad i_{cf} \quad v_{cf}]$$

where converter output voltage is the same as the voltage across

the filter capacitor V_{cf} . The control action results in perfect tracking when the error is within limit. The switching function u is then generated as

If $uc > h$ then $u = +1$

elseif $uc < -h$ then $u = -1$

where h is a small number

Each inverter is modeled on its individual reference frame whose rotation frequency is set by its local power sharing controller. The inverter model includes the power sharing control dynamics, output filter dynamics, coupling inductor dynamics and voltage and current controller dynamics. These last two elements introduce high frequency dynamics which are apparent at peak and light load conditions and during large changes in load.

3. DROOP CONTROL AND DG REFERENCE GENERATION

The same control strategy is applied to all the DGs. It is

assumed total power demand in the microgrid can be supplied by the DGs and no load shedding is required. The output voltages of the converter are controlled to share this load proportional to the rating of the DGs. As an output inductance is connected to each of the VSCs the real and reactive power injection from the DG source to the microgrid can be controlled by changing voltage magnitude and its angle. It is evident that the reference for all the elements of the states, given in (1), is required for state feedback. Since V and δ are obtained from the droop equation the reference for the capacitor voltage and current are given by

$$\begin{aligned}
 v_{cfref} &= V \cos(\omega t + \delta) \\
 i_{cfref} &= V \omega C_f \sin(\omega t + \delta)
 \end{aligned}
 \tag{3}$$

The reference for the current i_2 can be calculated as 3

$$i_{2ref} = \frac{v_{cf} - v_t}{jX_f}
 \tag{4}$$

The above calculation will need a phase shifter for the instantaneous current reference. This may not be desirable. Hence the measured values of the average real and reactive power output of the VSC can be used to find magnitude and phase angle of the reference rms current.

$$|I_{2ref}| = \frac{\sqrt{P^2 + Q^2}}{V_{cf}} \quad \text{and} \quad \angle I_{2ref} = \delta - \tan^{-1}(Q/P)
 \tag{5}$$

Hence the current reference can be given as

$$i_{2ref} = |I_{2ref}| \cos(\omega t + \angle I_{2ref})
 \tag{6}$$

4.STATE SPACE MODEL OF AUTONOMOUS MICROGRID

The stability of a microgrid needs to be studied through the analysis of state-space models, and so suitable models of converters are needed to complement the well established models of rotating machines. As machine models include features such as automatic voltage regulators and wash-out functions, the converter model should also include control loops. In an autonomous microgrid that contains converter based DGs only, the fast switching action can influence the network dynamics.

Hence the network is modeled by differential equations rather than algebraic equations for stability investigation. So far we have presented the single-phase control of the converter. However, for the analysis of the total microgrid system, a common reference frame is chosen and the system voltages and currents are converted in a DQ reference frame.

Fig.2 shows the block diagram of the complete microgrid

id system containing Z number of DGs. It is assumed that the model of each of DGs is same. This includes the VSC with its state feedback controller, droop controller and the interface block that connects the converter to the network. The system equations are nonlinear and thus they are linearized to perform eigenvalue analysis. The linear quantities are denoted by the prefix Δ . The measured real and reactive power output ($\Delta P, \Delta Q$) of converter is fed to the droop controller, while voltage reference ($\Delta v_{cfref}, \Delta \delta_{ref}$), set by droop controller, is fed back to the converter. The DGs are connected to the network through the interface block which convert the input/output signal from DG reference frame to the common reference frame and vice versa. Each DG block has, current output to the network, which is converter output current ($\Delta i_{2D}, \Delta i_{2Q}$) and network voltage as input ($\Delta v_{tD}, \Delta v_{tQ}$). Similarly, the input to the load model is the network voltage at the connected nodes ($\Delta v_{tD}, \Delta v_{tQ}$) and its output is the load current (Δi_{LoadDQ}). The state space equations of the DG-VSC, load and network are derived separately in a modular fashion. These are then combined together depending on the network structure to get the overall microgrid system model.

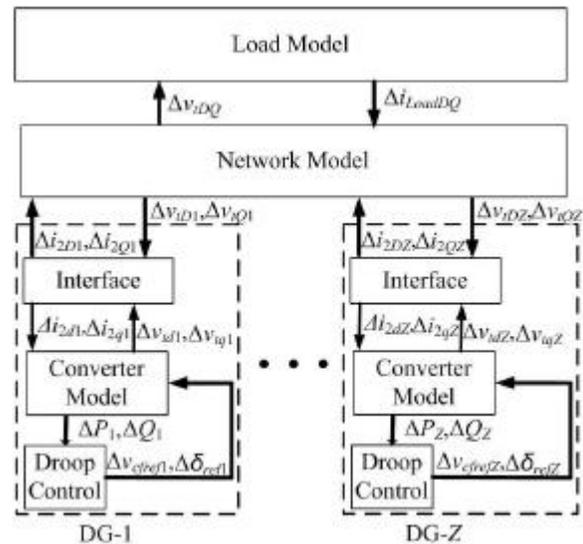


Fig2. Interconnection diagram of the complete microgrid system

5.CONVERTER MODEL

From equivalent circuit shown in Fig.1 the following equations are obtained for each of the phases of the three-phase system

$$\frac{di_1}{dt} = -\frac{R_f}{L_f} i_1 + \frac{(-v_{cf} + uV_{dc})}{L_f} \tag{7}$$

$$\frac{dv_{cf}}{dt} = \frac{(i_1 - i_2)}{C_f} \tag{8}$$

$$v_{cf} - v_t = L_f \frac{di_2}{dt} \tag{9}$$

Equations (7-9) are translated into a *d-q* reference frame of converter output voltages, rotating at system frequency ω , where *a-b-c* to *d-q* transformation matrix *P* is given by

$$P = \frac{2}{3} \begin{bmatrix} \cos(\omega t) & \cos(\omega t - \frac{2\pi}{3}) & \cos(\omega t + \frac{2\pi}{3}) \\ -\sin(\omega t) & -\sin(\omega t - \frac{2\pi}{3}) & -\sin(\omega t + \frac{2\pi}{3}) \\ \frac{1}{2} & \frac{1}{2} & \frac{1}{2} \end{bmatrix}$$

Defining a state vector as

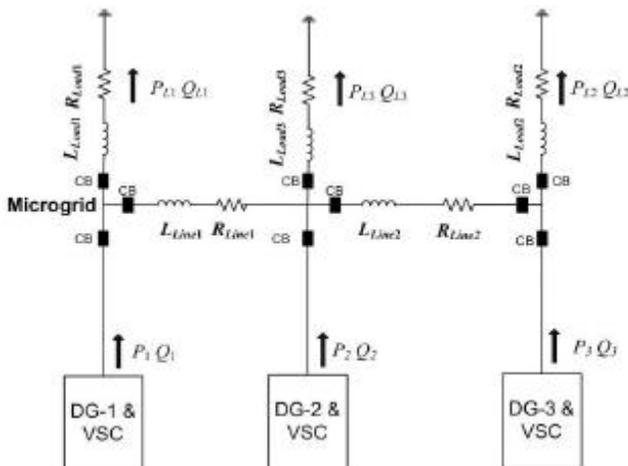
$$x_i = [i_{1d} \ i_{1q} \ i_{2d} \ i_{2q} \ v_{cfd} \ v_{cfq}]^T$$

the state equation in the *d-q* frame is given by

$$\dot{x}_i = A_i x_i + B_1 u_{cdq} + B_2 v_{tdq} \tag{10}$$

In (10), the matrices are

Fig. 3. Microgrid system under consideration.



$$A_i = \begin{bmatrix} -\frac{R_f}{L_f} & \omega & 0 & 0 & \frac{-1}{L_f} & 0 \\ -\omega & \frac{-R_f}{L_f} & 0 & 0 & 0 & \frac{-1}{L_f} \\ 0 & 0 & 0 & \omega & \frac{1}{L_f} & 0 \\ 0 & 0 & -\omega & 0 & 0 & \frac{1}{L_f} \\ \frac{1}{C_f} & 0 & \frac{-1}{C_f} & 0 & 0 & \omega \\ 0 & \frac{1}{C_f} & 0 & \frac{-1}{C_f} & -\omega & 0 \end{bmatrix}$$

$$B_1 = \begin{bmatrix} \frac{v_{dc}}{L_f} & 0 \\ 0 & \frac{v_{dc}}{L_f} \\ 0 & 0 \\ 0 & 0 \\ 0 & 0 \\ 0 & 0 \end{bmatrix} \quad \text{and} \quad B_2 = \begin{bmatrix} 0 & 0 \\ 0 & 0 \\ \frac{-1}{L_f} & 0 \\ 0 & \frac{-1}{L_f} \\ 0 & 0 \\ 0 & 0 \end{bmatrix}$$

It is assumed here that the tracking is perfect and hence, in the limit, *u* can be represented by *u_c*. *u_{cdq}* can be expressed as

$$u_{cdq} = -k_1(i_{2dq} - i_{2refdq}) - k_2(i_{1dq} - i_{2dq} - i_{cfrefdq}) - k_3(v_{cfdq} - v_{cfrefdq})$$

$$= -k_2 i_{1dq} + (k_2 - k_1) i_{2dq} - k_3 v_{cfdq} - k_1 i_{2refdq} - k_2 i_{cfrefdq} - k_3 v_{cfrefdq}$$

$$\tag{11}$$

The above equation can be written in matrix form as

$$\begin{bmatrix} \dot{u}_d \\ \dot{u}_q \end{bmatrix} = G_i x_i + H_i y_{refdq}$$

$$\tag{12}$$

Where,

$$G_i = \begin{bmatrix} -k_2 & 0 & (k_2 - k_1) & 0 & -k_3 & 0 \\ 0 & -k_2 & 0 & (k_2 - k_1) & 0 & -k_3 \end{bmatrix}$$

$$H_i = \begin{bmatrix} -k_1 & 0 & -k_2 & 0 & -k_3 & 0 \\ 0 & -k_1 & 0 & -k_2 & 0 & -k_3 \end{bmatrix}$$

$$y_{refdq} = [i_{2refd} \ i_{2refq} \ i_{cfrefd} \ i_{cfrefq} \ v_{cfrefd} \ v_{cfrefq}]^T$$

Substituting (11) into (12) we get

$$x_i' = (A_i + B_1 G_1)x_i + B_1 H_i y_{refdq} + B_2 v_{tdq} \quad (13)$$

Since V_{dc} is assumed to be constant, the linearization (13) will not alter B_1 . This linearization results in

$$\Delta x_i' = A_{CONV} \Delta x_i + B_{CONV} \Delta y_{refdq} + B_2 \Delta v_{tdq} \quad (14)$$

Where,

$$A_{CONV} = A_i + B_1 G_1 \quad \text{and} \quad B_{CONV} = B_1 H_i$$

The current references can be expressed in terms of the voltage reference as

$$\begin{bmatrix} \Delta i_{cfrefd} \\ \Delta i_{cfrefq} \end{bmatrix} = \begin{bmatrix} 0 & -\omega C_f \\ \omega C_f & 0 \end{bmatrix} \begin{bmatrix} \Delta v_{cfrefd} \\ \Delta v_{cfrefq} \end{bmatrix} \quad (15)$$

$$\begin{bmatrix} \Delta i_{2refd} \\ \Delta i_{2refq} \end{bmatrix} = \begin{bmatrix} 0 & \frac{-1}{\omega L_f} \\ \frac{1}{\omega L_f} & 0 \end{bmatrix} \begin{bmatrix} \Delta v_{cfrefd} \\ \Delta v_{cfrefq} \end{bmatrix} + \begin{bmatrix} 0 & \frac{1}{\omega L_f} \\ \frac{-1}{\omega L_f} & 0 \end{bmatrix} \begin{bmatrix} \Delta v_{td} \\ \Delta v_{tq} \end{bmatrix} \quad (16)$$

Combining (15) and (16), the reference vector is given as

$$y_{refdq} = M_1 \Delta v_{cfrefdq} + M_2 \Delta v_{tdq} \quad (17)$$

Where

$$M_1 = \begin{bmatrix} 0 & \frac{-1}{\omega L_f} \\ \frac{1}{\omega L_f} & 0 \\ 0 & -\omega C_f \\ \omega C_f & 0 \\ 1 & 0 \\ 0 & 1 \end{bmatrix} \quad M_2 = \begin{bmatrix} 0 & \frac{-1}{\omega L_f} \\ \frac{1}{\omega L_f} & 0 \\ 0 & 0 \\ 0 & 0 \\ 0 & 0 \\ 0 & 0 \end{bmatrix}$$

Combining (14) and (17) we get the converter model as

$$\Delta x_i' = A_{CONV} \Delta x_i + B_T \Delta v_{cfrefdq} + B_{BUS} \Delta v_{tdq} \quad (18)$$

$$B_T = B_{CONV} M_1 \quad \text{and} \quad B_{BUS} = B_{CONV} (M_2 + B_2)$$

6. DROOP CONTROLLER

Droop controller sets the references for converter output voltage magnitude and its angle. The output voltage of the converter is equal to the voltage across the capacitor C_f . The measured instantaneous real and reactive power are passed through two low pass filters to

obtain the average values of P and Q respectively. The basic idea behind the droop control is to mimic the governor of a synchronous generator. In a conventional power system, synchronous generators will share any

System Quantities		Values
Systems frequency		50Hz
Source voltage (V_s)		11kv rms (L-L)
Line impedance	Line e-1:	$R_{Line1} = 3.83\Omega, L_{Line1} = 0.0053 H (R/X > 2)$
	Line e-2:	$R_{Line2} = 5.83\Omega, L_{Line2} = 0.0308 H (R/X < 1)$
Load		$R_{Loadi} = 420.0\Omega, L_{Loadi} = 0.5mH$ $R_{Loadi} = 333.0\Omega, L_{Loadi} = 0.5mH$ $R_{Loadi} = 420.0\Omega, L_{Loadi} = 0.5mH$
DGs and Controller		3.5 kV 3 kV/11 kV, 0.5 MVA, 2.5% DC voltage (V_{dc1} , V_{dc2} , V_{dc3}) Transformer rating VSC losses (R_f) Filter capacitance (C_f) Filter Inductances (L_f)
State Feedback Controller (K)		[1.6963 0.3449 1.6959]
Droop Coefficients		$4.18 \times 10^{-5} \text{ rad/W}$ $2.272 \times 10^{-4} \text{ V/Var}$ $m1 = m2 = m3 = m$ $n1 = n2 = n3 = n$
Low pass Filter cut-off ω_c		31.4 rad/sec

increase in the load by decreasing the frequency according to their governor droop characteristic. This principle is implemented in inverters by decreasing the reference frequency when there is an increase in the load. Similarly, reactive power is shared by introducing a droop characteristic in the voltage magnitude. These can be expressed as

$$P = \frac{\omega_c}{s + \omega_c} \hat{P} = \frac{\omega_c}{s + \omega_c} (v_{cfd} i_{2d} + v_{cfq} i_{2q}) \quad (19)$$

$$Q = \frac{\omega_c}{s+\omega_c} \hat{Q} = \frac{\omega_c}{s+\omega_c} (v_{cfd} i_{2q} - v_{cfq} i_{2d})$$

(20)

The real power sharing between inverters is obtained by introducing an artificial droop in the inverter frequency as in (19),(20).

TABLE-1:NOMINAL SYSTEM PARAMETERS

7. COMPLETE MODEL OF AN INDIVIDUAL INVERTER

To connect an inverter to the whole system the output variables need to be converted to the common reference frame. The obtained overall equations for individual inverter

$$\frac{di_{1d}}{dt} = \frac{-r_f}{L_f} i_{1d} + \omega i_{1q} - \frac{1}{L_f} v_{cfd} + \frac{v_{dc}}{L_f} u_d$$

(21)

$$\frac{di_{1q}}{dt} = -\omega * i_{1d} + \frac{-r_f}{L_f} i_{1q} - \frac{1}{L_f} v_{cfq} + \frac{v_{dc}}{L_f} u_q$$

(22)

$$\frac{di_{2d}}{dt} = \omega i_{2q} + \frac{1}{L_1} v_{cfd} - \frac{1}{L_1} v_{td}$$

(23)

$$\frac{di_{2q}}{dt} = -\omega i_{2d} + \frac{1}{L_1} v_{cfq} - \frac{1}{L_1} v_{tq}$$

(24)

$$\frac{dv_{cfd}}{dt} = \frac{1}{c_f} i_{1d} - \frac{1}{c_f} i_{2d} + \omega * v_{cfq}$$

(25)

$$\frac{dv_{cfq}}{dt} = \frac{1}{c_f} i_{1q} - \frac{1}{c_f} i_{2q} - \omega * v_{cfd}$$

(26)

$$p = v_{cfd} * i_{2d} + v_{cfq} * i_{2q}$$

(27)

$$q = v_{cfd} * i_{2q} - v_{cfq} * i_{2d}$$

(28)

8. TRANSIENT STABILITY RESULTS

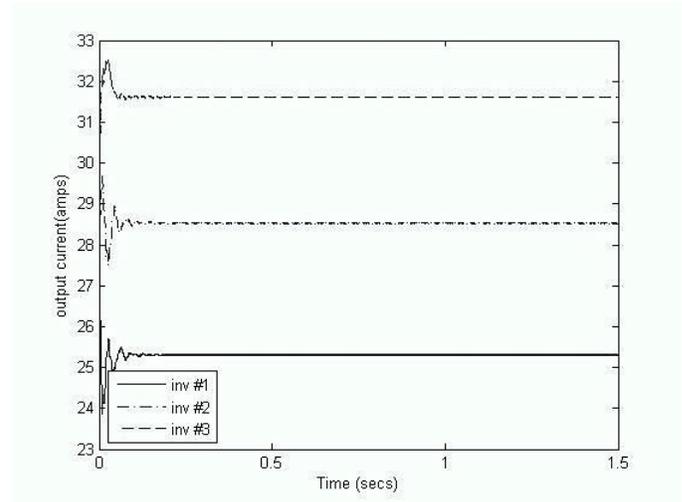


Fig 4. Output Currents of three inverters

Figure 4 shows output current response of three inverters, figure 5 shows output voltages of three inverters. Figure 6 shows the real power load sharing among the inverter and DGs fundamental output power response. Figure 7 shows reactive power load sharing. Figs. 4–7 show the response of state variables and of all the three inverters .

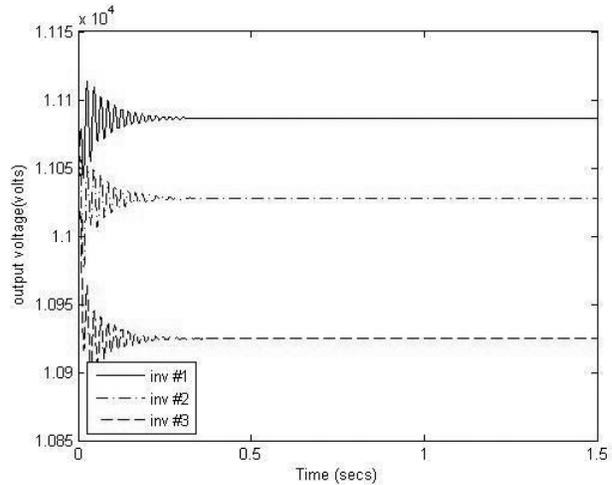


Fig 5. Output Voltages of three inverters

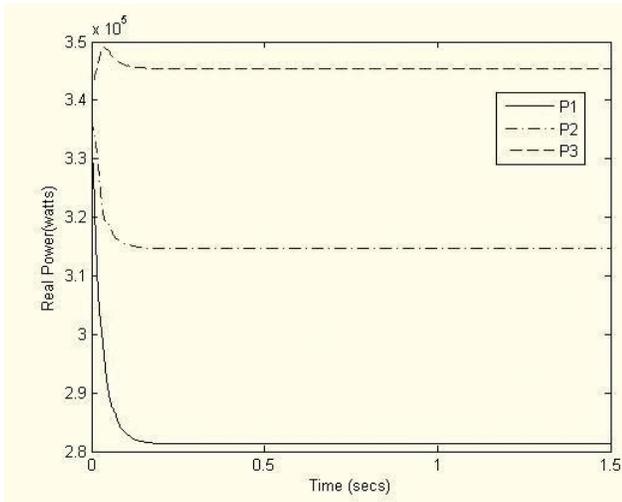


Fig 6:Active power response of three inverters

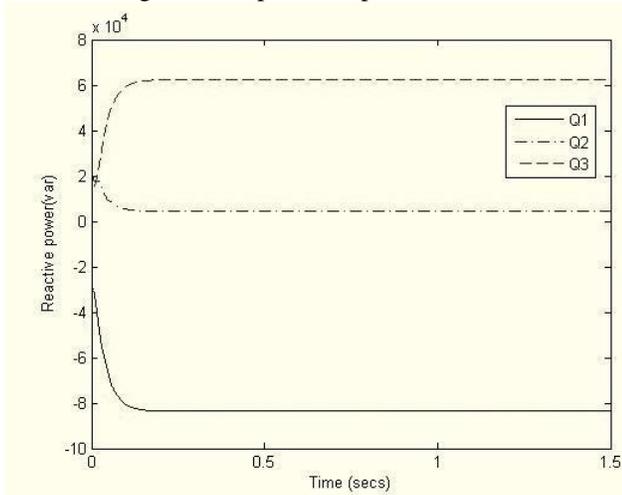


Fig 7:Reactive power response of three inverters

9. Conclusions

In this paper, transient stability analysis of a microgrid presented. The converter individually modeled and are then combined on a common reference frame to obtain the complete model of the microgrid. This is illustrated transient stability analysis. This paper gives clear idea of transformation from one reference frame to another. Results obtained from the model were verified experimentally on a prototype microgrid. It was observed that the model successfully predicts the complete microgrid dynamics both in the low and high frequency range. The transient

stability analysis has had a long history of use in conventional power systems. The inverter models illustrated in this paper allow microgrids to be designed to achieve the stability margin required of reliable power systems. This paper clearly shows the real power sharing and reactive power sharing between the inverters. The results obtained gives clear transient stability analysis.

References

- [1] R.H. Lasseter, "Microgrids," in *Proc. Power Eng. Soc. Winter Meeting* Jan 2002, vol.1, pp. 305-308.
- [2] A. Arulapalam, M. Barnes, A. Engler, A. Goodwin, and N. Jenkins, "Control of power electronic interfaces in distributed generation microgrids," *Int.J. Electron.*, vol. 91, no. 9, pp. 503-523, Sep. 2004.
- [3] R. Lasseter, "Integration of Distributed Energy Resources: The CERTS Microgrid Concept," *CERT Rep.*, Apr. 2002.
- [4] M.S. Illindla, P. Piagi, H. Zhang, G. Venkataraman, and R.H. Lasseter, "Hardware Development of a Laboratory-Scale Microgrid Phase 2: Operation and Control of a Two-Inverter Microgrid," *Nat. Renewable Energy Rep.*, Mar. 2004.
- [5] Y. Li, D.M. Vilathgamuwa, and P. C. Loh, "Design, analysis and real-time testing of A controller for multi bus microgrid system," *IEEE Trans. Power Electron.*, vol. 19, no. 5, pp. 1195-1204, Sep. 2004.
- [6] E. A. A. Coelho, P. Cortizo, and P.F. D. Gracia, "Small signal stability for parallel- connected inverters in stand-alone ac supply systems," *IEEE Trans. Ind. Appl.*, vol. 38, no. 2, pp. 533-542, Mar./Apr. 2002.
- [7] J.M. Guerrero, L. G. V. Na, M. Castilla, and J. Miret, "A wireless controller to enhance Dynamic performance of parallel inverters in distributed generation systems," *IEEE Trans. Power Electron.*, vol. 19, no. 5, pp. 1205-1213, Sep. 2004.
- [8] A. L. Dimeas and N.D. Hatziargyriou, "Operation of a multiagent system for microgrid control," *IEEE Trans. Power Syst.*, vol. 20, no. 3, pp. 1447-1455, Aug. 2005.
- [9] M. Prodanovic, T. Green, and H. Mansir, "A survey of control methods for Parallel three-phase inverters connection," *Proc. Inst. Elect. Eng.*, no. 475, pp. 472-477, Sep. 2000.
- [10] M.C. Chandorker, D. M. Divan, and A. Rambabu, "Control of parallel connected inverters in stand-alone ac supply systems," *IEEE Trans. Ind. Appl.*, vol. 29, no. 1, pp. 136-143, Jan./Feb. 1993.
- [11] J.M. Undrill, "Dynamic stability calculations for an arbitrary number of interconnected synchronous machines," *IEEE Trans. Power Appar. Syst.*, vol. PAS-87, no. 3, pp. 835-845, Mar. 1968.
- [12] M.N. Marwali, J. Jung, and A. Keyhani, "Control of distributed generation systems- part 1: load sharing control," *IEEE Trans. Power Electron.*, vol. 19, no. 6, pp. 1551-1561, Nov. 2004.
- [13] M. Prodanovic, "Power Quality and Control Aspects of Parallel Connected Inverters in Distributed Generation," Ph.D. dissertation, Imperial College, Univ. London, UK, 2004.
- [14] M.N. Marwali, J. Jung, and A. Keyhani, "Control of distributed generation systems- part 1: voltages and current control," *IEEE Trans. Power Electron.*, vol. 19, no. 6, pp. 1541-1550, Nov. 2004.
- [15] P. Kundur, *POWER SYSTEM STABILITY and CONTROL*. New York: McGraw-Hill, 1994.
- [16] C.A. Hernandez-Aramburo, T. C. Green, and N. Mugniot, "Fuel consumption minimization of a microgrid," *IEEE Trans. Ind. Appl.*, vol. 41, no. 3, pp. 673-681, May/Jun. 2005.
- [17] A. Tuladhar, H. Jin, T. Unger, and K. Mauch, "Control of parallel inverters in distributed ac power systems with considerations of line impedance effect," *IEEE Trans. Ind. Appl. Power* vol. 36, no. 1, pp. 131-138, Jan./Feb. 2000.
- [18] A. Engler, "Applicability of droops in low voltage grids," *Int. J. Distrib. Res.*, vol. 1, no. 1, pp. 3-15, Sep. 2004.