

# Optical Properties of Glass and Plastic Doped By Fe

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## Abstract:

Fe material with different concentrations was used to dope glass and plastic samples. The absorption coefficient, refractive index, real and imaginary electric constants decreases as Fe concentration increases. These results agree with theoretical relations.

**Keywords:** Glass, plastic, Fe, doping, absorption coefficient, refractive index, energy gap.

## Introduction:

Semiconductors (SC) play an important role in modern technology. Semiconductors are formed from materials having narrow energy gap. This enables them to allow few electrons to transfer from conduction to valence band [1]. In the p- type SC the SC is doped with elements having three valance electrons. This increases positive hole concentration in the n-type SC, the doping is made with valance elements this increases free electrons concentration [2].The glass and plastic materials are widely used materials that act as a SC. Recently these materials were doped with different elements to change their physical properties one of the most important physical property is the optical properties which are useful in solar cell light sensors [ 3,4 ].The work done in superconductor's shows that doping of some substances with Fe convert them to superconductors These materials such as glass and plastic of this work, the substances used in this work are glass and plastic as mentioned above. Section two presents the change of optical properties, section three, four, and five are devoted to results, discussion and conclusion.

## 2. Theoretical interpretation

The real and imaging permeability can be found from equation of Particle viscous medium of viscosity  $\eta$  which is given by

$$\eta = \frac{1}{2} m n_0 L v \quad (2.1)$$

$m$  = particle mass

$n_0$  = number density

$L$  = free path length

$v$  = velocity

The equation of motion under the effect of electric field of strength  $E$  is giving by

$$m \ddot{x} = e E - 6\pi a \eta v = e E - \gamma v \quad (2.2)$$

Where

$$\gamma = 6\pi a \eta v = 3\pi a m L v n_0$$

$$= \gamma_0 n_0 \quad (2.3)$$

$a$  = Radius of the particle

$$\gamma_0 = 3\pi a m L v$$

Consider now the solution

$$x = x_0 e^{wt}$$

$$\dot{x} = iwx = v$$

$$\ddot{x} = -w^2 x \quad (2.4)$$

Substituting (2.3) in (2.1) given

$$(i\gamma - mw^2)x = -e E \quad (2.5)$$

Thus

$$x = \frac{-e}{[i\gamma - mw^2]} E = \frac{[mw^2 + i\gamma]eE}{[m^2w^4 + \gamma^2]} \quad (2.6)$$

$$p = e n x = e^2 n \frac{[mw^2 + i\gamma] E}{[m^2w^2 + \gamma^2]} = [x_1 + ix_2] E \quad (2.7)$$

$$x_1 = \frac{mw^2 ne^2}{[m^2w^2 + \gamma^2]} x_2 = \frac{\gamma ne^2}{[m^2w^2 + \gamma^2]} \quad (2.8)$$

For very large friction coefficient

$$\gamma \gg mw \quad (2.9)$$

Hence

$$x_1 = \frac{mw^2 ne^2}{\gamma^2} = \frac{ne^2 mw^2}{\gamma_0^2 n_0^2} \quad (2.10)$$

$$x_2 = \frac{ne^2}{\gamma} = \frac{ne^2}{\gamma_0 n_0} \quad (2.11)$$

$$\sigma_1 = wx_2 = w\epsilon_0 x_2 \quad (2.12)$$

$$\alpha = \frac{\sigma_1}{cn_1} \quad (2.13)$$

### 3. Materials & Methods:

Five samples plastics and glasses were doped by Fe with different concentration ranging from  $29.3 \mu\text{g}/\text{cm}^2$  to  $2623 \mu\text{g}/\text{cm}^2$ .

The optical properties of samples were studied by using the following devices with the following specification.

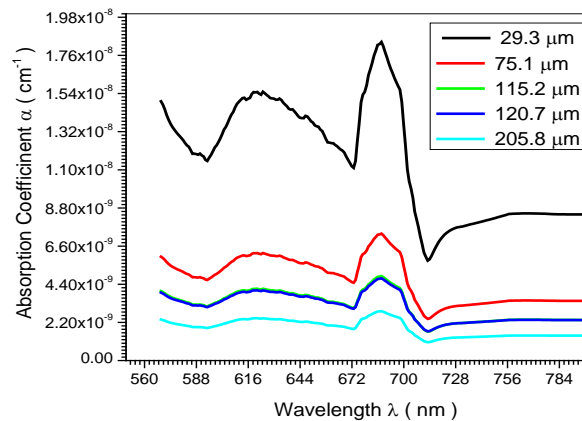
#### a. Spin coater

A thin film is made by the spin coating method, the number of round proportional increases with the voltage, then the thickness decreases with an increase in the number of round

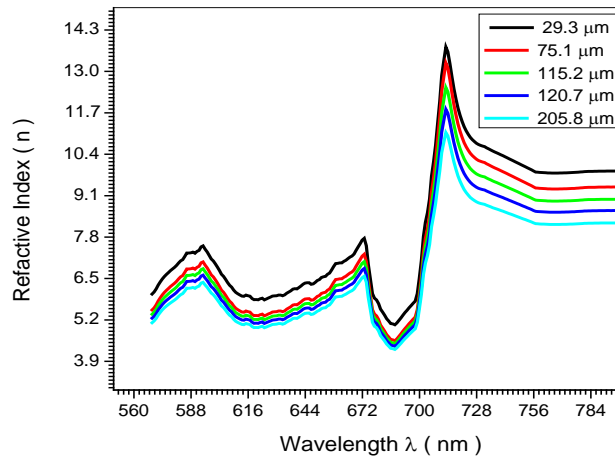
#### b. Ultra violet (UV) spectrometer

The visible spectra obtained in shimadzo mini 1240 spectrophotometer scanning between 200 -1200 nm. The spectrophotometer measures how much of the light is absorbed by the sample.

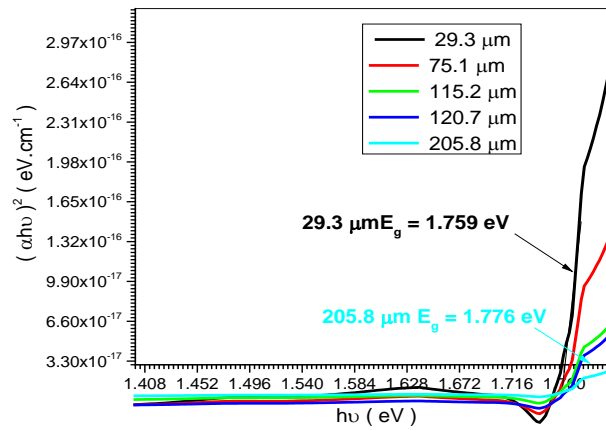
### 4. Results:



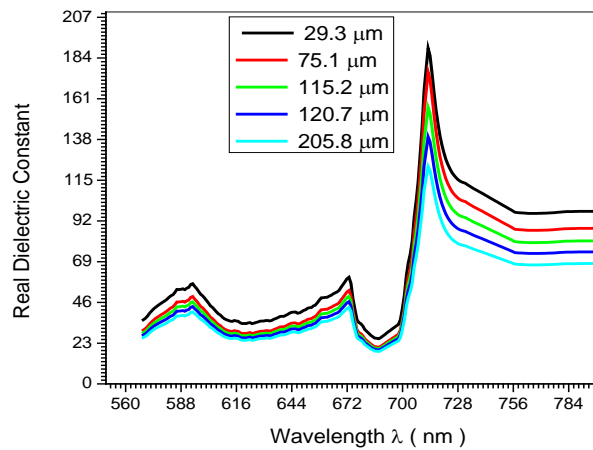
**Fig(1)The relation between absorption coefficient and wavelength for glass doping by Fe with different concentration**



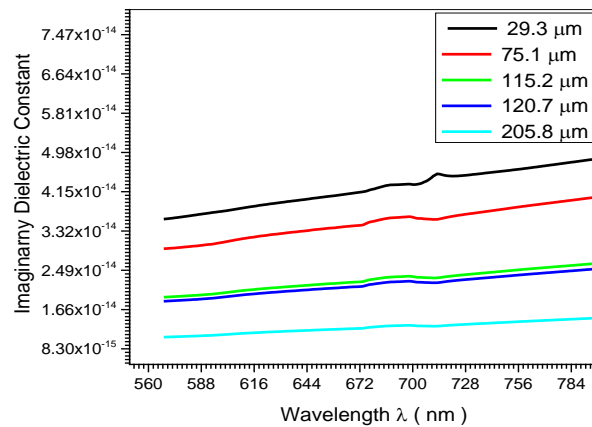
**Fig(2)The relation between refractive index and wavelength for glass doping by Fe with different concentration**



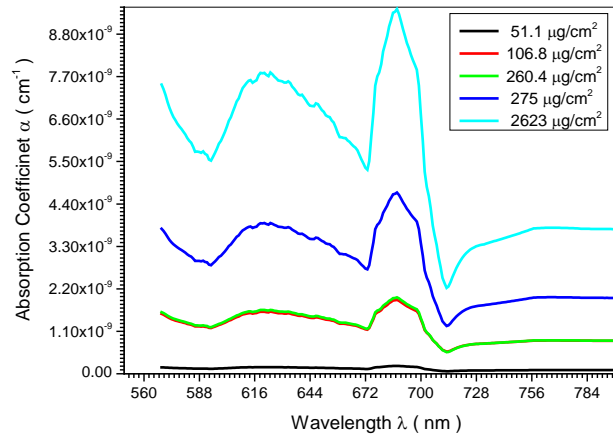
**Fig (3) The optical energy gap for glass doping by Fe with different concentration**



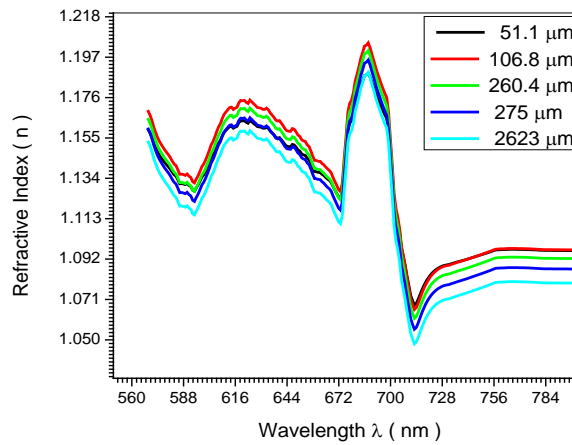
**Fig (4) The relation between real dielectric constant and wavelength for glass doping by Fe with different concentration**



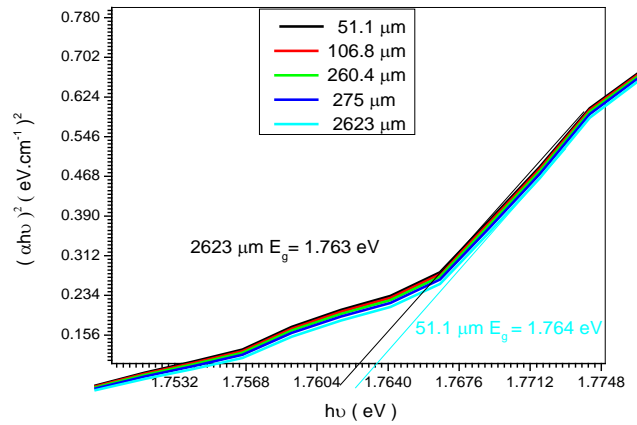
**Fig (5) The relation between imaginary dielectric constant and wavelength for glass doping by Fe with different concentration**



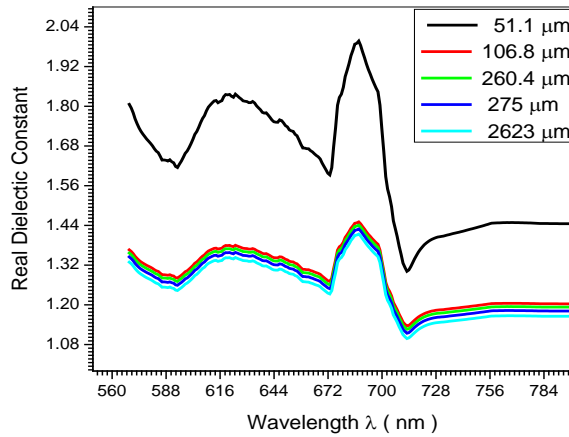
**Fig (6) The relation between absorption coefficient and wavelength for plastic doping by Fe with different concentration**



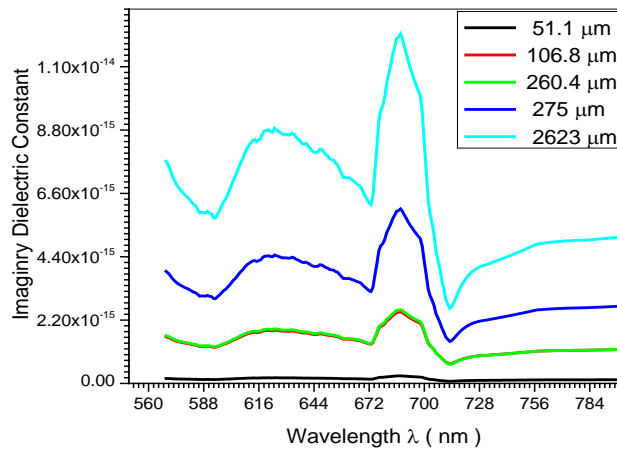
**Fig (7) The relation between refractive index and wavelength for plastic doping by Fe with different concentration**



**Fig (8) The optical energy gap for plastic doping by Fe with different concentration**



**Fig (9) The relation between real dielectric constant and wavelength for plastic doping by Fe with different concentration**



**Fig (10) The relation between imaginary dielectric constant and wavelength for plastic doping by Fe with different concentration**

### 5. Discussion

The behaviour of glass and plastic doped with Fe for some optical properties like absorption coefficient  $\alpha$ , refractive index  $n_1$ , energy gap  $E_g$ , real and imaginary permittivity in relation to concentration of Fe is shown in figures (1,2,3,4,5) for glass and figures (6,7,8,9,10) for plastic respectively. The effect of increasing doping concentration of Fe on  $\alpha, n_1, \epsilon_1, \epsilon_2$ , shows inverse relation except for  $E_g$  which shows that  $E_g$  is directly proportional to concentration, i.e.

$$E_g \propto n_0$$

$$\alpha \propto \frac{1}{n_0}$$

$$n_1 \propto \frac{1}{n_0}$$

$$\epsilon_1 \propto \frac{1}{n_0}$$

$$\epsilon_2 \propto \frac{1}{n_0} \quad (1)$$

Where  $n_0$  represent the number density of Fe atoms. This can forms with equations (2.9, 2.10, 2.11, and 2.12)

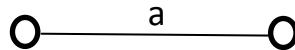
$$\alpha \sim \sigma_1 \sim \frac{1}{n_0}$$

$$\epsilon_1 \sim 1 + x_1 \sim \frac{1}{n_0}$$

$$\epsilon_2 \sim x_2 \sim \frac{1}{n_0} \quad (2)$$

This means that increasing Fe concentration increase into density. This increase frictional force too. This increase of friction increases absorption which is straight forward by physical intuition.

The refractive index  $n_1$  is related to the relaxation time  $\tau$  through the relation between speed of light in a medium  $v$ , and in vacuum  $c$ , beside the distance  $a$  between two atoms. According to this relation



$$ct = v(t + \tau) = a$$

$$v \left( \frac{a}{c} + \tau \right) = a$$

$$\frac{v}{c} (a + c\tau) = a$$

$$\left( 1 + \frac{c}{v} \tau \right) = \frac{c}{v} = n_1 \quad (3)$$

But  $\tau$  decreases as particles density  $n_0$  increase



$$\tau = \frac{c_0}{n_0}$$

$$n_1 = \left(1 + \frac{cc_0}{an_0}\right) \sim \frac{1}{n_0} \quad (4)$$

This derivation agrees with the empirical relation between  $n_1$  and  $n_0$  shown in equation (5.1).

For plastic doped with Fe the empirical relation between  $\epsilon_1, n_1$  is similar to that of Fe with glass. However the relations of  $\alpha, \alpha l, \epsilon_2$  shows that

$$\alpha, \alpha l, \epsilon_2 \sim n \quad (5)$$

Where  $n$  is the concentration of free charge carriers which also increases when  $n_0$  increase.

These empirical relations agrees also with the theoretical relations (2.8, 2.12, 2, 13) where

$$\alpha, \alpha l \sim \sigma_1 \sim n$$

$$\epsilon_2 \sim x_2 \sim n \quad (6)$$

This indicates that the effect of free carriers becomes important than the effect of friction in the absorption process.

It is very interesting to note that the energy gap  $E_g$ , in all cases increases with  $n_0$  i.e

$$E_g \propto n_0 \quad (7)$$

This empirical relation agrees with the theoretical one, where

$$n_i = N_v N_c e^{-\beta E_g}$$

$$E_g = \frac{1}{\beta} \ln\left(\frac{N_c N_v}{n_i^2}\right) \quad (8)$$

Where

$N_c, N_v$  are the average concentrations of carriers in the conduction and valence band respectively. The term  $n_i$  stands for free charges generated thermally. This means that increasing concentrations of Fe and Fe, increases concentration of holes  $N_v$  and concentration of free conduction electrons  $N_c$  without increasing thermally generated carriers  $n_i$ , i.e

$$N_c, N_v \sim n_0 \quad (8)$$

Thus from (5)

$$E_g \sim n_0 \quad (9)$$

In agreement with the empirical relation

## 6. Conclusion

The absorption of light by glass can be changed by changing the concentration of Fe. The increase of Fe concentration decrease absorption coefficient. For Fe absorption coefficient and the imaginary electric permittivity are preoperational to free carriers' concentration. This means that in the design of windows in homes one can enable more light to pass

into the room, by decreasing concentration of Fe. It can be also be used in designing sensor and solar cells to improve their performance.

## 7. Reference:

1. Glass - Chemistry Encyclopedia". Retrieved 1 April 2015.
2. B. H. W. S. de Jong, "Glass"; in "Ullmann's Encyclopedia of Industrial Chemistry"; 5th edition, vol. A12, VCH Publishers, Weinheim, Germany, 1989, ISBN 978-3-527-20112-9, pp. 365–432.
3. Pfaender, Heinz G. (1996). Schott guide to glass. Springer. pp. 135, 186. ISBN 978-0-412-62060-7. Retrieved 8 February 2011.
4. Corning, Inc. Pyrex data sheet. (PDF). Retrieved 2012-05-15.
5. AR-GLAS Schott, N.A., Inc data sheet
6. Jiang, Xin; Lousteau, Joris; Richards, Billy; Jha, Animesh (2009-09-01). "Investigation on germanium oxide-based glasses for infrared optical fibre development". *Optical Materials*. **31** (11): 1701–1706. doi:10.1016/j.optmat.2009.04.011.